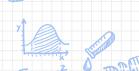


### INDEX..

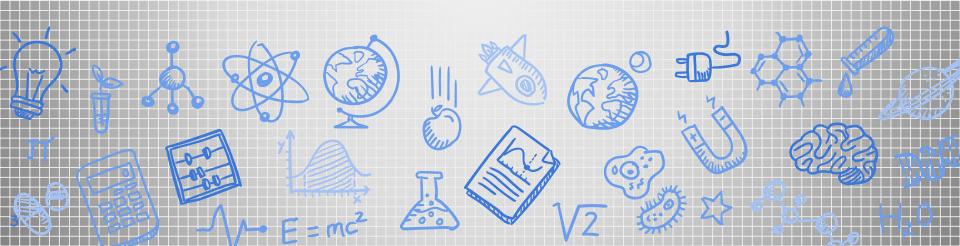
- **INTRODUCTION**
- DBEFORE CALCULUS
- □WHY CALCULUS
- □ AFTER CALCULUS
- DEXTENDED CURRENT APPLICATION





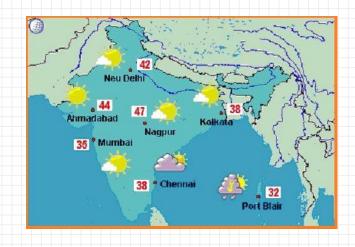


### INTRODUCTION



### WHAT IS WEATHER FORECASTING?

- Weather Forecast is the application of science and technology to predict the conditions of the atmosphere for a given location and time.
- People have attempted to predict the weather informally for millennia and formally since the 19<sup>th</sup> century.
- It has influenced people's lives for thousands of years.
- There are now more than 70 weather departments all over the world.







## BEFORE CALCULUS...



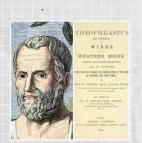
### WEATHER FORECAST BEFORE CALCULUS

**Earliest scientific** approach was around 300 BC documented in Aristotle's work "meteorological" where he explained the relation between earth, air, water and fire to predict weather.

Later his pupil Theophrastus wrote "The book of signs" which included colours of sky, rings, halos and even sounds. This was followed for about 2000 vears

**Ancient weather** forecasting methods usually relied on observed patterns of events, also termed pattern recognition. Not all of these predictions prove reliable, and many of them have since been found not to stand up to rigorous statistical testing.

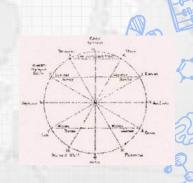






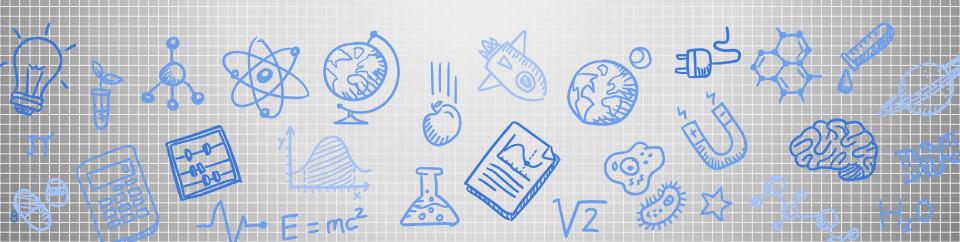
Calculated by hand based mainly upon changes in barometric pressure, current weather conditions, and sky condition or cloud cover.

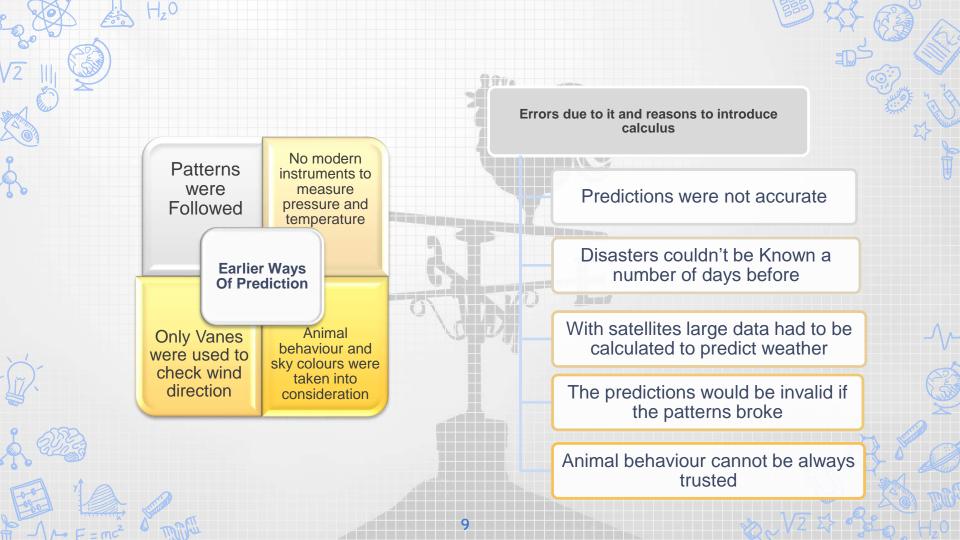






### WHY CALCULUS??







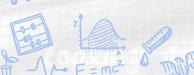


Lewis Fry Richardson

# Who introduced Calculus In The Field?

Vilhelm Bjerknes & Lewis Fry Richardson

He introduced the numerical method of weather prediction in 1922





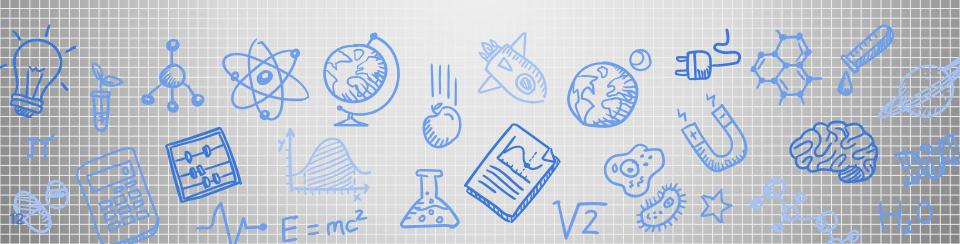
### THE BEGINNING .....

- British scientist Lewis Fry Richardson was the first to put the numerical weather prediction to use
- It took him 6 weeks to finish the calculations to predict weather pattern
- Lewis, in order to solve differential equations, he invented the method of finite differences, which produces highly accurate results
- Numerical weather prediction was at a standstill until 1948 until a group of meteorologists at New Jersey's Institute developed the first computer that was used to complete the mathematical equations
- The computer was known as the Electronic Numerical Integrator and computer (ENIAC)

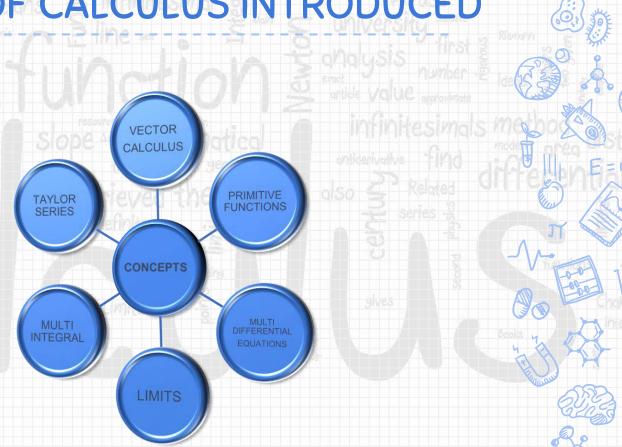




# AFTER CALCULUS...



# CONCEPTS OF CALCULUS INTRODUCED



### **PRIMITIVE EQUATIONS**

- Primitive Equations are used to approximate global atmospheric flow.
- It is a set of six non linear differential equations
- There are 3 main sets of primitive equations
- Conservation of momentum
- Thermal energy equation
- Continuity equation





#### **Primitive Equations**

$$\frac{du}{dt} - fv = -\frac{1}{\rho} \frac{\partial p}{\partial x}$$

$$\frac{dv}{dt} + fu = -\frac{1}{\rho} \frac{cp}{\partial y}$$

$$\frac{dp}{dt} = -\rho g$$

$$\frac{\partial u}{\partial x} + \frac{\partial v}{\partial y} + \frac{\partial w}{\partial z} = -\frac{1}{\rho} \frac{d\rho}{dt}$$

$$\frac{dT}{dt} \frac{d\rho}{dt} = 0$$

$$c_p \frac{dt}{dt} - \alpha \frac{dp}{dt} = Q$$

 $p = \rho RT$ 

x-component momentum equation

y-component momentum equation

hydrostatic equation

continuity equation

thermodynamic energy equation

equation of state

6 equations with 6 dependent variables: u, v, w, p, p, T







#### DERIVATION

$$\rho\left(\frac{\partial v_{x}}{\partial t} + v_{x}\frac{\partial v}{\partial x} + v_{y}\frac{\partial v}{\partial y} + v_{z}\frac{\partial v}{\partial z}\right) = -\frac{\partial p}{\partial x} + \mu\left(\frac{\partial^{2} v_{x}}{\partial x^{2}} + \frac{\partial^{2} v_{x}}{\partial y^{2}} + \frac{\partial^{2} v_{x}}{\partial z^{2}}\right) + \rho g_{x}$$

$$\rho\left(\frac{\partial v_{y}}{\partial t} + v_{x}\frac{\partial v}{\partial x} + v_{y}\frac{\partial v}{\partial y} + v_{z}\frac{\partial v}{\partial z}\right) = -\frac{\partial p}{\partial y} + \mu\left(\frac{\partial^{2} v_{y}}{\partial x^{2}} + \frac{\partial^{2} v_{y}}{\partial y^{2}} + \frac{\partial^{2} v_{y}}{\partial z^{2}}\right) + \rho g_{y}$$

$$\rho\left(\frac{\partial v_{z}}{\partial t} + v_{x}\frac{\partial v}{\partial x} + v_{y}\frac{\partial v}{\partial y} + v_{z}\frac{\partial v}{\partial z}\right) = -\frac{\partial p}{\partial z} + \mu\left(\frac{\partial^{2} v_{z}}{\partial x^{2}} + \frac{\partial^{2} v_{z}}{\partial y^{2}} + \frac{\partial^{2} v_{z}}{\partial z^{2}}\right) + \rho g_{z}$$

$$\rho(rho) = density, \mu(mu) = viscosity, p = pressure$$

$$g_{x} = gravitational force along x - axis,$$

$$g_{z} = gravitational force along z - axis$$

$$g_{y} = gravitational force along y - axis$$

$$v_{x} = velocity along x direction$$

$$v_{y} = velocity along y direction$$

$$v_{z} = velocity along z direction$$

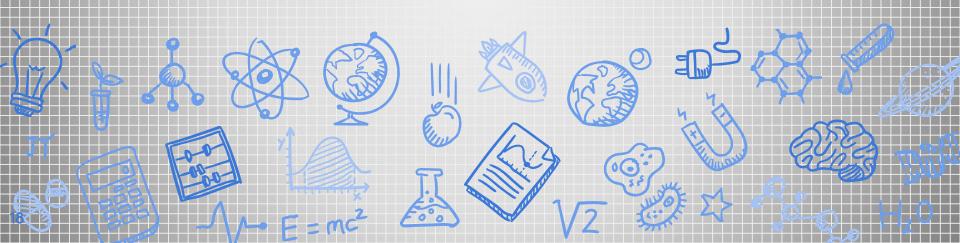


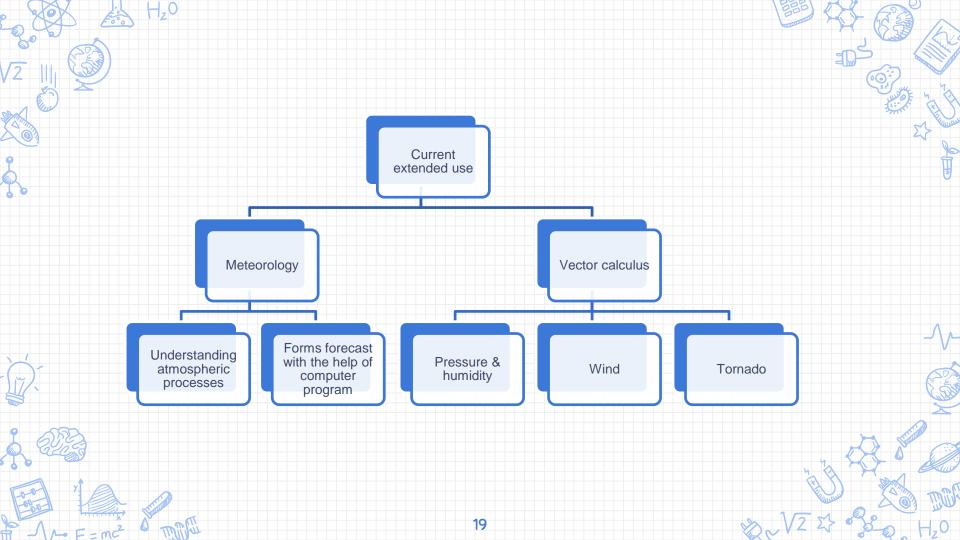
#### How Calculus Changed The Field??

- Before introduction of calculus weather could be predicted only for a few days but now with calculus we can predict weather for a couple of months.
- Supercomputers use satellite images to predict the weather with the help of mathematical derivations formulated by the mathematics and thus prevent loss of life
- With the help of application of calculus in computers it became easier to handle and calculate the huge amount of data collected



### CURRENT EXTENDED USE





### THANK YOU!!!

Presentation by RICHA RANE
KHUSHI MORZARIA
SALONI BERA
RIYA ANADA
KARAN RATHOD